# Introduction to programming Lecture 

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## General information

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## General information

Requirements, conditions for practice:
Maximum number of absences is 3 .
Late arrival (more than 20 minutes) means absent from class

There will be two tests during the semester.
There is only one chance to retake!!!
Activity during class means plus score.
Readings:
Adrian Kingsley-Hughes: Beginning Programming, wiley, 2005.
Metrowerks CodeWarrior: Principles of Programming

## Topics

- What are the basics of Computer Science?
- How does a computer built up and work?
- What is software, application, program?
- How to describe problems and its solution?
- What is algorithmic thinking?
- How to describe algorithms?
- What does 'program writing' mean?
- Many more things...


## Computer systems

## Computer System



## Computer architecture (hardware)



## System Unit

Central Processing Unit (CPU):
The brain of computers


## Memory:

Contains data and instructions


Input-Output Interface:
Surface between computer and outer world

## Bus system:

Connects together


## Central Processing Unit

Control Unit (CU): Says what to do, controls the parts of the CPU

Arithmetic Logic Unit (ALU): Performs operations, does calculations

Registers: Some tinny but very fast memory
Cache: Small, but fast memory
Addressing Unit (AU): Deals with memory addresses at read/write operation

## Memory

Random Access Memory (RAM):
Readable-writeable operative memory
Read Only Memory (ROM)
Not rewritable (eg. BIOS-ROM)
Memory hierarchy:

- Register
- Cache
- Memory
- Hard-disk drive (HDD)



## Bus system

Connects the CPU, the Memory and the I/O interfaces
Data bus:
Transports the data from/to CPU
Address bus:
Contains memory address of reading/writing

## Control bus:

Carries control information

## Input-Output Interfaces

It makes the system accessible to peripherals (world)
Connection to

- Input devices
- Output devices
- Storage devices
- Network devices



## Peripherals

## Input

- Keyboard
- Mouse
- Scanner

Storage

- Winchester (HDD)
- CD/DVD/Blu-ray drive
- USB drive
- Memory Card


## Output

- Monitor
- Printer
- Projector

Network

- Ethernet
- Wi-Fi

Other

## Software

## User



## Operating system

Collection of software that manages hardware resources and provides services for other programs

- User interface:
supports human interaction (shell, GUI)
- Program scheduler:
decides which program can run now, for how long time, which will the next
- File management:
handles the files and directories of volume based on a file system


## Operating system

- Memory management:
provides ways to dynamically allocate portions of memory to programs at their request
- Device drivers:
software developed to allow interaction with hardware devices
- Security:
protect against illegal operation and access to data
- Others:

Networking, Interrupt management, Utilities, ...

## User applications

- File manager:

Windows Explorer, Midnight commander, ...

- Office application:

Microsoft Word/Excel, OpenOffice Write/Calc, ...

- Web browser:

Internet Explorer, Firefox, Chrome, ...

- Database manager:

Microsoft Access, MySQL, DB2, ...

- Graphical program:

Microsoft Paint, GIMP, Photoshop, ...

## User applications

- Media player:

Windows Media Player, Flash Player, QuickTime, ...

- Computer game:

Minesweeper, Solitaire, NFS, CoD, FIFA, ...

- Anti-virus program:

Virus Buster, NOD32, AVG, ...

- Integrated Development Environment (IDE): BorlandC, Netbeans, CodeBlocks, Dev-C++, ...
- Other:


## User

Human agent, who uses computer

- Root: Superuser, system administrator, has high privilege
- „Simple" user:
computer is just a tool, not the purpose of work
- Programmer:
develops computer applications, writes programs

Problem solving

## Pólya's problem solving steps



## Understanding the problem

- What is the task?
- What is the unknown (required result)?
- What is the relationship between the given information and the unknown?
- Is the given information enough to solve the problem?


## Creating a plan

General techniques:

- Finding known similar problems (if exists)
- Reshaping the original problem to a similar known problem
- Divide the problem to shorter solvable problems
- Generalizing a restricted problem
- Finding existing work that can help in the search for a solution


## Executing the plan

- Follow the steps of the plan
- Each element of the plan should be checked as it is applied
- If a part of the plan is unsatisfactory, the plan should be revised


## Evaluating

The result should be examined

- Is it correct?
- Is it full?
- Is it valid?
- Has the problem been solved?


## An example

Problem: What is the sum of 110010110 and 101110101 in binary notation?

1) Understanding: addition of numbers where each digit can be just 0 or 1.
2) Plan: Similar method to addition of decimal numbers just the number of possible digits is 2
3) Execute: Sum of digit pairs taking into account the carry

| + | 0 | 1 |
| :---: | :---: | :---: |
| 0 | 0 | 1 |
| 1 | 1 | 0 |

4) Evaluating: check with subtraction or with conversion

Result: 1100001011

Number systems

## Binary systems

Why binary systems are so important?

- There are many binary systems in our environment.
- The computer is binary (digital).

| no | yes |
| :---: | :---: |
| false | true |
| absent | present |
| close | open |
| switched off | switched on |
| insulator | conductor |
| electric current flows | no electric current |
| $\mathbf{0}$ | $\mathbf{1}$ |

## Decimal number system

10 different symbols: $0,1,2,3,4,5,6,7,8,9$
How do we count in decimal?

| 08 | 18 | 098 | 598 | 0998 |
| ---: | ---: | ---: | ---: | ---: |
| 9 | 19 | 99 | 599 | 999 |
| 10 | 20 | 100 | 600 | 1000 |
| 11 | 21 | 101 | 601 | 1001 |
| 12 | 22 | 102 | 602 | 1002 |
| $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ |

## Binary number system

Only 2 different symbols: 0, 1
How do we count using binary?


## Conversion from decimal to binary

| conversion of 217: | 217 | 2 |  |  |
| :---: | :---: | :---: | :---: | :---: |
| $217=2 * 108+1$ | 108 | 1 |  |  |
| $108=2 * 54+0$ | 54 | 0 |  |  |
| $54=2 * 27+0$ | 27 | 0 |  |  |
| $27=2 * 13+1$ | 13 | 1 |  |  |
| $13=2 * 6+1$ | 6 | 1 |  |  |
| $6=2 * 3+0$ | 3 | 0 |  |  |
| $3=2 * 1+1$ | 1 | 1 |  |  |
| $1=2 * 0+1$ | $\underline{0}$ | 1 |  |  |

## Conversion from binary to decimal

Decimal (10):
$2495=2 * 1000+4 * 100+9 * 10+5 * 1$
$2495=2 * 10^{3}+4 * 10^{2}+9 * 10^{1}+5^{*} 10^{0}$

Binary (2):
$1010011_{2}=1^{*} 2^{6}+0^{*} 2^{5}+1^{*} 2^{4}+0^{*} 2^{3}+0^{*} 2^{2}+1^{*} 2^{1}+1^{*} 2^{0}$
$1010011_{2}=1^{*} 64+0 * 32+1^{*} 16+0 * 8+0 * 4+1^{*} 2+1 * 1$
$1010011_{2}=64+16+2+1=83_{10}$

## Binary arithmetic: addition

Addition of digits: $0+0=0$

$$
0+1=1
$$

$$
1+0=1
$$

$$
1+1=10
$$

Example:

$$
\begin{array}{r}
110010110 \\
+101110101 \\
\hline 1100001011
\end{array} \begin{array}{r}
406 \\
+373 \\
779
\end{array}
$$

## Real numbers in binary

- Fractional numbers from binary to decimal

$$
\begin{aligned}
& 1010.011_{2}=1^{*} 2^{3}+0^{*} 2^{2}+1^{*} 2^{1}+0^{*} 2^{0}+0^{*} 2^{-1}+1^{*} 2^{-2}+1^{*} 2^{-3} \\
& 1010.011_{2}=1^{*} 8+0^{*} 4+2+0^{*} 1+0^{*} 1 / 2+1^{*} 1 / 4+1^{*} 1 / 8 \\
& 1010.011_{2}=8+2+1 / 4+1 / 8=10.375_{10}
\end{aligned}
$$

- Fractional numbers from decimal to binary

| $10.375_{10}$ | 10._ | 10 | 2 | $. .375$ | 2 | 375 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $10=5 * 2+0$ | 5 | 0 | $0+0.750=0.375 * 2$ | 0 | 750 |
|  | $5=2 * 2+1$ | 2 | 1 | $1+0.500=0.750 * 2$ | 1 | 500 |
|  | $2=1 * 2+0$ | 1 | 0 | $1+0.000=0.500 * 2$ | 1 | $\underline{000}$ |
|  | $1=0 * 2+1$ | $\underline{0}$ | 1 |  |  |  |

$$
10.375_{10}=1010.011_{2}
$$

## Hexadecimal notation

- 16 different symbols
$-0,1,2,3,4,5,6,7,8,9, A, B, C, D, E, F$
- Conversion to/from binary
- Each hexadecimal digit is 4 binary digits (bits)
$-5 \mathrm{E}_{16}=01011110_{2}\left(=94_{10}\right)$
- Conversion to/from decimal
- By powers of 16 or by double conversion (16 $\leftrightarrows 2 \leftrightarrows 10$ )
- Why it is used in IT?
- Close relation to binary
- Short (2 hexadecimal digit is 1 byte)


## Software Life Cycle

## Software Life Cycle



## 1: Problem definition

- Similar to Pólya’s first step
- The description of the problem must be precise
- User and programmer must work together
- It leads to complete specifications of the problem, the input data and the desired output


## 2: Solution design

- Definition of the outline of solution
- Division of the original problem into a number of subproblems
- Subproblems are smaller and easier to solve
- Their solution will be the components of our solution
- „Divide and conquer"
- Finally the problem will be converted to a plan of well-known steps


## 3: Solution refinement

- Previous step is in very high-level: no indication given how subtasks are to be accomplished
- Refinement is necessary by adding more details
- Avoid any misunderstandings
- A precise method consists of a sequence of well defined steps called an algorithm
- Representation: pseudocode, flowchart, etc.


## 4: Testing strategy development

- It is necessary to try the algorithm with several different combinations of input data to make sure that it will give correct results in all cases
- These different combinations of input data are called test case
- It covers not only normal input values, but also extreme input values to test the limits
- Complete test cases can be used to check the algorithm


## 5: Program coding and testing

- Description of algorithm in previous level cannot be executed directly by computer
- Translation needed to a programming language
- After coding program must be tested using our testing strategy
- If an error has been discovered, appropriate revision must be made, and than the test rerun until the program gives correct solution under all circumstances
- Process of coding and testing called implementation


## 6: Documentation completion

- Documentation begins with the first step of development and continues throughout the whole lifetime of the program
- It contains:
- Explanations of all steps
- Design decisions that were made
- Occurred problems
- Program list
- User instructions
- etc.


## 7: Program maintenance

- The program can't wear out
- Sometimes the program may fail
- The reason of a program fail is that it was never tested for this circumstance
- Elimination of newly detected error is necessary
- Sometimes the users need new features to the program
- Update of documentations is needed


## Solution design

by Break-Out Diagrams

## Break-Out Diagrams

- Useful way to make the problem solving manageable
- Tree-like (hierarchical) skeleton of problems
- For viewing problems in levels
- Styles:
- Vertical
- Horizontal



## Time BOD



## Space BOD



## Action BOD



## Data BOD



## Properties of BODs

- Consistent

Each break-out must be the same kind.

- Orderly

All blocks at the same level must be separate or independent.

- Refined

Each box of a given level must be break-out of a box at the previous level.

- Cohesive

All of the items within a breakout box must fit together.

## Mistakes and corrections



## Mistakes and corrections



## Mistakes and corrections

Incorrect BOD


Correct BOD


## Solution refinement

Algorithms

## Algorithm

Plan for performing a sequence of well-understood actions to achieve the result.

Precise definition of the actions to be performed to accomplish each task of solution design.
Some properties:

- precise, unambiguous
- specified for all possible cases
- finite sequence of actions
- achieves the result
- efficiency, elegance, easy to use, ...


## Representation of algorithms

- Algebraic
- Data-flow diagram
- Flowchart
- Graphs or plots
- Hierarchical
- Pseudocode
- Stuctogram
- Tabular
- Verbal


## Example

## Function $\mathbf{y}=\boldsymbol{\operatorname { s i g n }}(\mathbf{x})$

- What is it?
- What does it mean?
- What is the result?
- How is it work?
- How can we determine its value?
- If $x$ is -4 , what is the value of $y$ ?


## $y=\operatorname{sign}(x)$

## Verbal representation:

1. If input value $x$ is 0 , set the result to $y=0$.
2. Otherwise if $x>0$, let the value of this function +1 .
3. Else if $x$ less then 0 , give the function -1 .

## $y=\operatorname{sign}(x)$

Graph representation:


## $y=\operatorname{sign}(x)$

'Algebraic-like' representation:

$$
\begin{aligned}
& x \in \Re \\
& y \in\{-1,0,+1\} \\
& \forall x, x>0 \Rightarrow y=+1 \\
& \forall x, x<0 \Rightarrow y=-1 \\
& \quad x=0 \Rightarrow y=0
\end{aligned}
$$

## $y=\operatorname{sign}(x)$

Structogram representation:


## $y=\operatorname{sign}(x)$

Flowchart representation:


## $y=\operatorname{sign}(x)$

Pseudocode representation:
if $x=0$ then
$y=0$
else
if $x>0$ then
$y=+1$
else
$y=-1$
endif
endif

## Flowchart

- Starting/finish point

- Atomic instruction

$$
x=1
$$

- Input/output
- Condition

- Inserting other algorithm $\square$
- We can go along arrows.


## Base structures of algorithms



## Modifying algorithms

Algorithms often go through many changes to be better.

- Generalizing: making them apply to more cases
- Extending: to include new cases
- Foolproofing: making an algorithm more reliable, failsafe or robust
- Embedding:
re-using that algorithm within another algorithm


## Generalizing algorithms

Original:


Generalized:


## Extending algorithms

Original:


Extended:


## Foolproofing algorithms



Embedding algorithms


## Alternative algorithms

There are often many ways to achieve the same thing.
Algorithms can be different in structure, but they can be equivalent in behavior.

It means: for identical input data, they will produce identical results.

Sometimes there is serious reason to prefer one algorithm over the other, while sometimes there isn't.

In some cases, one algorithm may be considerably smaller, faster, simpler, or more reliable than another.

## Alternative algorithms



## Properties of algorithms

- Complete:
all of actions must be exactly defined
- Unambiguous:
there is only one possible way of interpreting actions
- Deterministic:
if the instructions are followed, it is certain that the desired result will always be achieved
- Finite:
the instructions must terminate after a limited number of steps


## Wrong algorithms

How to get to the 5th floor from 2nd by elevator?

1. Call the lift.
2. Get in.
3. Push '5' button.
4. Wait.
5. If the door opens, get out.

Problems (not complete):

- If the list goes downward...
- If the lift stops on 3rd floor for somebody...


## Wrong algorithms

How to make fried chicken?

1. Put the chicken into the oven.
2. Set the temperature.
3. Wait until it is done.
4. Serve it.

Problems (ambiguity):

- What is the optimal temperature $\left(50^{\circ} \mathrm{C}\right.$ or $\left.200^{\circ} \mathrm{C}\right)$ ?
- Is the chicken frozen or alive?
- When is it done?


## Wrong algorithms

How to be a millionaire?

1. Buy a lottery.
2. Choose numbers.
3. Wait for prize or be sad.

Problems (stochastic, not deterministic):

- In most of the cases we won't be a millionaire.
- Not always works.


## Wrong algorithms

How to use a bus?

1. Wait for the bus.
2. Get on the bus.
3. Buy a ticket.
4. Sit down.
5. Get out of the bus.

Problems (infinite):

- If we are not in a bus stop, bus won't stop.
- If we are in a building, bus will never arrive.


## Pseudocode

Possible instructions / keywords:

- input ...
- output ...
- if ... then ... else ... endif
- while ... do ... enddo
- exit
- break
- function, procedure, return, call


## Base structures of algorithms

Sequence: $\quad$ Selection:

## Pseudocode example

```
input R
i=0
x=0
while x<=R do
    y=0
    while y<=R do
        if x*x+y*y<=R*R then
                i=i+1
            endif
            y=y+1
    enddo
    x=x+1
enddo
output 4*i/(R*R)
Approximation of the value of \(\pi\) Greater \(R\) leads to more precise value
```



## Conversion


input T
while $\mathrm{T}<>20$ do

$$
\begin{aligned}
& \text { if } \mathrm{T}>20 \text { then } \\
& \mathrm{T}=\mathrm{T}-1
\end{aligned}
$$

else

$$
\mathrm{T}=\mathrm{T}+1
$$

endif
enddo
output "ready"

## Subroutines

Separate unit of algorithms
Tool of recycling and abstraction

- Recycling: not necessary to type the same code-part at different points of the code. We can teach some activity and then use as a basic instruction. An example of embedding.
- Abstraction: not just only one activity, but a set of similar activities, specified by parameters. Realization of generalization.


## Subroutines

Two sort of subroutines

- Function: a set of instructions in order to determine a value somewhere in the code
E.g. What is the cosine of $45^{\circ}$ ?
$x=\cos (45)$
- Procedure: a set of activities to do something at a given point of the code (no return value) E.g. Print your name.
output "Imre"


## Procedure example



## Procedure example

Calling the previous procedure within a code
output „How many stars you need?"
input $S$ (actual) parameter
call STARS (S) $\}$ call of procedure (execution of its instructions)
output „I hope, you like it."

## Procedure example

An other procedure to tell the sign of a number procedure SIGN (x)K
if $x>0$ then
output "Positive" else
output "Not positive" endif
end procedure
output „Give a number" input N
call SIGN (N)


## Function example

Definition of a function to determine the maximum of two values


## Function example

Calling the previous function within a code
output "Give two numbers"
input $\mathrm{a}, \mathrm{b}$ (actual) parameters
$c \equiv \operatorname{MAX} \quad(a, b)\}$ call of function (determination of a value)
output ,"The maximum: ", c

The returned value is stored in variable c.

## Function example

An other function to calculate the absolute value

$$
\begin{gathered}
\text { function ABS (x) } \\
\text { if } x<0 \text { then } \\
x=-1 * x \\
\text { endif } \\
\text { return } x \\
\text { end procedure }
\end{gathered}
$$

output „Give a number" input N
$A=a b s$
output „the absolute value is", A


## Recursion

- When a subroutine calls itself



## Recursion example

procedure CONVERT ( N , B )
if $\mathrm{N}<>0$ then integer part of the quotient
call CONVERT ( [N/B] , B)
output $a \%$.b
endif
output NEWLINE end procedure
call CONVERT ( 16 , 8)
call CONVERT ( 19, 2)

Testing strategy development

## Example of testing strategy

- Solving second degree equation
- General form: $\mathbf{a x}{ }^{2}+\mathbf{b x}+\mathbf{c}=0$
- Input parameters: a, b, c
- Solution: $\mathbf{x}_{1,2}=\frac{-\mathbf{b} \pm \sqrt{\mathbf{b}^{2}-\mathbf{4 a c}}}{2 \mathbf{a}}$

Does it work for all input?

- What is the output
if $a=1, b=2$ and $c=1$ ?
- What is the output if $a=1, b=2$ and $c=2$ ?



## Example of testing strategy



## Example of testing strategy



## Example of testing strategy



## Example of testing strategy

Good solution in pseudocode:

It works for all input.
To reach this state we have had to test the algorithm with more different input combinations the so called test cases and then we have had to modify the algorithm.

We have used testing strategy.

```
input a, b, c
if a=0 then
    if b=0 then
            output error
    else
        x=-c/b
        output x
    endif
else
    d=b*b-4*a*c
    if d>0 then
        x1=(-b+sqrt(d))/(2*a)
        x2=(-b-sqrt (d))/(2*a)
        output x1, x2
    else
        if d=0 then
            x=-b/ (2*a)
            output x
        else
        output error
        endif
    endif
endif
```


## The used testing strategy

| a | $\mathbf{b}$ | $\mathbf{c}$ | reason | $\mathbf{O K}$ |
| ---: | ---: | ---: | :--- | :--- |
| 3 | 7 | 2 | general case (not zero, $\mathbf{d}>0$ ) | $\checkmark$ |
| 0 | 2 | 3 | a is zero (first degree) | $\checkmark$ |
| 2 | 0 | 5 | $\mathbf{b}$ is zero ( $\left.\mathrm{x}^{2}=-\mathrm{c} / \mathrm{a}\right)$ | $\checkmark$ |
| 1 | 2 | 0 | $\mathbf{c}$ is zero ( $\mathrm{x}[\mathrm{ax}+\mathrm{b}]=0$ ) | $\checkmark$ |
| 0 | 0 | 1 | more zeros (not equation) | $\checkmark$ |
| 3 | 1 | 9 | $\mathbf{d}<0$ (no solution) | $\checkmark$ |
| 2 | 4 | 2 | $\mathbf{d}=0$ (only one solution) | $\checkmark$ |
| -2 | -3 | -9 | negative inputs | $\checkmark$ |
| 2.3 | 4.2 | 0.83 | not integer values | $\checkmark$ |
| 0.00001 | 1000000 | 1 | extreme small/large values | $\checkmark$ |

# Program coding 

Creating source code
in real programming language

## Programming levels



## Languages paradigms



## Syntax and semantics

Syntax: Formal rules of the program text.
Semantics: Does it describe the desired algorithm?

Example (absolute value):
input a Semantic error
if $a>0$ then
$a=-1$ * $a$
enidf
output $a$
Syntax error

## Syntax of programing languages

```
Fortran:
    REAL FUNCTION FAKT(I)
    FAKT=1
    IF (I .EQ. O .OR. I .EQ. 1) RETURN
    DO 20 K=2,I
20 FAKT=FAKT*K
    RETURN
    END
C:
```


## Pascal:

FUNCTION FAKT (I:INTEGER): REAL; BEGIN

IF $\mathrm{I}=0$ THEN FAKT:=1
ELSE FAKT:=FAKT (I-1)*I;
END;

```
long fakt (long n) \{
if ( \(n<=1\) ) return 1;
else return \(n * f a k t(n-1)\);
\}
```


## Units and elements of the code

- Character set
- Lexical units
- Syntactic units
- Instructions
- Program units
- Compiling units
- Program

We use different characters, symbols, special keywords, expressions, and rules in each language.

## Interpreter and Compiler

- Processors understand only machine codes
- High-level source codes need some conversion
- Language implementations use different techniques
- Compiler
E.g.: Pascal, C, C++, Labview
- Interpreter
E.g.: PHP, JavaScript, Python
- Combined (bytecode to virtual machine)
E.g.: Java, C\#


## Compiler

- A software that creates a so-called object-code from the source code
- Compiler makes lexical-, syntactic- and semantic analysis, code generation
- Source codes have to be syntactically correct
- A co-called linker creates executable from object codes, and the loader load it to RAM to run
- Compilation once, execution later several times
- Compilation and execution is separate
- Execution is fast


## Interpreter

- Direct execution
- Analysis and generation at run time
- No object code
- Interpretation of instructions one by one
- Single instruction as input
- Syntactically incorrect code can be executed
- Errors may hidden
- Interpreter is needed for any execution
- Interpretation and execution belong together
- Execution is often slow


## Integrated Development Environment

- A (graphical) program to make the software development easy and quick, provides tools/help to the programmer
- IDE contains:
- Language-sensitive editor
- Compiler/interpreter, linker, loader
- Debugger
- Version control tool
- Project management
- Simulator
- Examples: Code::Blocks, Dev-C++, NetBeans, Eclipse, MS Visual Studio, Jbuilder, MPLAB, etc.


## Data representation, Datatypes

- Every data is stored in the memory in binary
- Different datatypes are used
- with different representation
- with different data-domain
- with different operations
- Most often applied data types:
- integer (5) 00000000000000000000000000000101
- float (5.0) 01000000101000000000000000000000
- char ('5') 00110101


## Fixed-point representation

How the computer stores (signed) integer numbers?
Steps:

- Store the sign of the given value and convert the absolute value of the integer into binary
- Add leading zeros (if needed) to reach given amount of digits (bits)
- If the sign is -1 (so if the value was negative) then
- Change every bit to the opposite
- Add 1 to the result in binary
- The fixed-point representation of the integer is ready


## Fixed-point representation



## Fixed-point representation

|  | Representation length | Minimum value | Maximum value |
| :---: | :---: | :---: | :---: |
|  | 1 byte | 0 | 255 |
|  | 2 byte | 0 | 65535 |
|  | 4 byte | 0 | 4294967295 |
|  | 1 byte | -128 | 127 |
|  | 2 byte | -32768 | 32767 |
|  | 4 byte | -2 147483648 | 2147483647 |

## Floating point representation

Standardized (IEEE 754) technique to store real (fractional, not just integer) numbers in computers

Steps by an example on 4 bytes:

- -19.5625 10
- -10011.1001 2
- -1.00111001*24
- $(-1)^{1 *}(1+.00111001) * 2^{131-127}(-1)^{\mathrm{S}} *(1+\mathrm{M}) * 2^{\mathrm{K}-127}$



## Floating point representation

| Representation length | 4 bytes (single) | 8 bytes (double) |
| :---: | :---: | :---: |
| \# Sign bit | 1 | 1 |
| \# Exponent bits | 8 | 11 |
| \# Significand bits | 23 | 52 |
| Exponent Bias | 127 | 1023 |
| Minimum absolute value | 1.175*10-38 | 2.225*10-308 |
| Maximum absolute value | 3.403*10+38 | $1.798 * 10^{+308}$ |
| Accuracy (!) | $\sim 7.2$ digits | ~15.9 digits |

## Floating point representation

Not all real numbers in the range can be presented
E.g.: 1.0000000000; 1.0000001192; 1.0000002384; 1.0000003576

Rounding is applied ( $0.7 \rightarrow 0.69999998807907$...)
Special values:

- +0.0 (e.g. 1.0-1.0)
- -0.0 (equal to +0.0; e.g. -1.0*0.0)
- +Inf (+ + , e.g. 1.0/0.0)
- -Inf ( $-\infty$, e.g. -1.0/0.0)
- NaN (Not a Number, e.g. +Inf*0.0)


## Keywords, identifier, comments

- Keyword

Sequence of characters with special meaning
E.g.: if, else, while, do, for, return

- Identifier

Sequence of characters to give name to the programmer's own tools/objects
E.g.: i, Count, var2, abs_val

- Comment

Text in the code not for the compiler but for the programmer (reader human) as remark

## Constants

- Constants (literals) means fix value in the source code that cannot be altered by the program at runtime
- It has type and value
- The value is defined by itself
- The type is defined by the form
- Special: Named constant is a fix value with identifier
- Examples



## Variables

- A memory location with identifier to store a value
- Most important tool in procedural languages
- Its components
- Name (identifier)
- Value (bit series in the RAM)
- Attributes (type)
- Address (RAM location)
- Example (in C language)
int A = 10;
float Jump1 = 11.5;


## Operators

- Represents simple operations on data
- Can be unary, binary or ternary
- General groups of operators
- Arithmetic (E.g.: +, - *, /, \%)
- Comparison (E.g.: >, <, ==, >=, <=, ! =)
- Logical (E.g.: \&\&, \| \| !
- Bitwise (E.g.: \& , |, ^, ~, <<, >>)
- Assignment (E.g.: =, +=, *=)
- Other (E.g.: *, \&, ? :, ., ->)



## Expressions

- Operators \& Operands \& Parentheses
- Operand can be: constant, variable, function call
- An expression has type and value (evaluation)
- Form can be
- Infix (preference/strength is necessary)

$$
\text { E.g.: } 4+3 * 2
$$

- Prefix
E.g.: + * 324
- Postfix
E.g.: 432 * +


## Instructions

Unit of programs, that can be grouped as

- Declaration
- Assignment
- Conditional statement
- 2 branch
- More branch
- Iteration
- Conditional loop
- Counted loop
- Other


## Declaration, Assignment

## Declaration

- Associate identifier and type
- (Sometimes) initialization of variable
- int i $=0$;
- float Weight;

Assignment

- Giving value to a variable
- i $=6$;
- Weight $=80.3$ * i;


## Conditional statement

Choosing from 2 execution branch

- Two separate instruction block
- Skip or execute an instruction block
- if (N<0.0) $S=1$;
else $\quad S=0$;
Selecting from several execution branch
- switch (i) \{
case 1: X=1; break;
case 2: X=10; break; default: X=100;
\}


## Iteration

Repetition of instructions, activities several times
From operational point of view limiting cases

- Empty loop (the body/core never executed)
- Infinite loop (never stops, semantic error)

Types of iterations

- Conditional loop
- Pre-condition
- Post-condition
- Counted loop
- Other (Infinite, Combined)


## Pre-conditional loop

The head contains a condition
Semantics

1. Evaluation of condition
2. If it is true, body is executed and evaluate again (1.) Else loop ends, go to next instruction behind the loop
It can be empty loop
if condition is false initially


## Post-conditional loop

The end contains the condition
Semantics

1. Execute the body once
2. Evaluation of condition
3. If it is true (false), execute again the body (go Step 1.) Else loop ends, go to next instruction behind the loop

It cannot be empty loop body is executed at least once


## C programming language

Developed: Dennis Ritchie, Bell Labs, 1972
Standards: ANSI C (1989), ISO C99 (1999), ISOC11 (2011)
One of the most popular and widely used language
Procedural (Imperative) paradigm
Close relation to hardware architectures
Purely compiled
Platform-independent
Efficient (fast programs)
C influenced: C++, Java, PHP, Python, ...

## C programming language

Some main moment (strongly reduced):

- Comment: /* something */, // something
- Datatypes: int, float, char, ...
- Constants: 21, 34.5, 'A', "alma", ...
- Operators:,,+- , $/$, \%, =, ==, >=, <=, !=, \&\&, ||, ...
- Branching: if-else, switch-case
- Iterations: while, for, do-while
- Input/output: printf(), scanf() (built in subroutines)
- etc. ...


## Examle C source code

```
/*** Solving second degree equation ***/
#include<stdio.h>
#include<math.h>
int main(){
    float a,b,c,d,x1,x2;
    printf("Give the coefficients!\n");
    scanf("%f %f %f",&a,&b,&c);
    if (a==0.0) //first degree
        if (b==0.0)
            printf("Error!\n");
        else{
            x1=-c/b;
            printf("x=%f\n",x1);}
    else{ //second degree
        d=b*b-4*a*C;
        if (d>0.0){ //two solution
            x1=-b+sqrt(d)/(2*a);
            x1=-b+sqrt(d)/(2*a);
            printf("x1=%f\nx2=% f\n",x1,x2);}
        else
            if (d==0.0){ // one solution
                x1=-b/(2*a);
                printf("x=%f\n",x1);}
            else // no solution
                printf("Error!\n");}
    return 0;}
```

Documentation \& Maintenance

## Documentation

Complete the documentation:

- Always document everything during the program development.
- What is the solution method?
- What are the solved subproblems?
- What are the necessary inputs and the output?
- How does the implemented algorithm work?
- What are the meaning of the variables? (comments)
- How to use the program? (user manual)
- What are the discovered errors and their solutions.


## Maintenance

Maintenance the program:

- If the users need correction, extension or changes, developer must update the application.
- Make documentation about all changes.
- If too much change is necessary: Start again from the beginning Software life cycle


